

## Complex Numbers

This calculator is capable of performing the following operations using complex numbers.

- Arithmetic operations (addition, subtraction, multiplication, division)
- Calculation of the reciprocal, square root, and square of a complex number
- Calculation of the absolute value and argument of a complex number
- Calculation of conjugate complex numbers
- Extraction of the real part
- Extraction of the imaginary part

**4-1 Before Beginning a Complex Number Calculation**

**4-2 Performing Complex Number Calculations**

## 4-1 Before Beginning a Complex Number Calculation

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Before beginning a complex number calculation, press  $\boxed{\text{OPTN}} \boxed{\text{F3}}$  (CPLX) to display the complex number calculation menu.

- $\{i\}$  ... {imaginary unit  $i$  input}
- $\{\mathbf{Abs}\}/\{\mathbf{Arg}\}$  ... obtains {absolute value}/{argument}
- $\{\mathbf{Conj}\}$  ... {obtains conjugate}
- $\{\mathbf{ReP}\}/\{\mathbf{ImP}\}$  ... {real}/{imaginary} part extraction

## 4-2 Performing Complex Number Calculations

The following examples show how to perform each of the complex number calculations available with this calculator.

### ■ Arithmetic Operations

[OPTN]-[CPLX]-[i]

Arithmetic operations are the same as those you use for manual calculations. You can even use parentheses and memory.

#### Example 1 $(1 + 2i) + (2 + 3i)$

AC OPTN F3 (CPLX)  
C 1 + 2 F1 (i) )  
+ C 2 + 3 F1 (i) ) EXE

(1+2i)+(2+3i) 3+5i

#### Example 2 $(2 + i) \times (2 - i)$

AC OPTN F3 (CPLX)  
C 2 + F1 (i) )  
X C 2 - F1 (i) ) EXE

(2+i)×(2-i) 5

### ■ Reciprocals, Square Roots, and Squares

#### Example $\sqrt{3 + i}$

AC OPTN F3 (CPLX)  
SHIFT ✓ C 3 + F1 (i) ) EXE

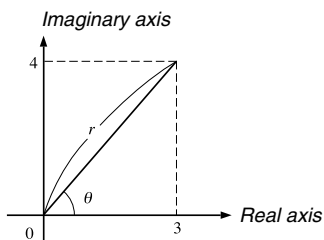
√(3+i)  
1.755317302  
+0.2848487846i

### ■ Absolute Value and Argument

[OPTN]-[CPLX]-[Abs]/[Arg]

The unit regards a complex number in the form  $a + bi$  as a coordinate on a Gaussian plane, and calculates absolute value  $|Z|$  and argument (arg).

Example To calculate absolute value ( $r$ ) and argument ( $\theta$ ) for the complex number  $3 + 4i$ , with the angle unit set for degrees



AC [OPTN] F3 (CPLX) F2 (Abs)

( [ 3 ] + [ 4 ] F1 (i) ) [EXE]

(Calculation of absolute value)

Abs (3+4i)	5
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AC [OPTN] F3 (CPLX) F3 (Arg)

( [ 3 ] + [ 4 ] F1 (i) ) [EXE]

(Calculation of argument)

Arg (3+4i)	53.13010235
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- The result of the argument calculation differs in accordance with the current angle unit setting (degrees, radians, grads).

## ■ Conjugate Complex Numbers [OPTN]-[CPLX]-[Conj]

A complex number of the form  $a + bi$  becomes a conjugate complex number of the form  $a - bi$ .

**Example** To calculate the conjugate complex number for the complex number  $2 + 4i$

AC [OPTN] F3 (CPLX) F4 (Conj)

( [ 2 ] + [ 4 ] F1 (i) ) [EXE]

Conj (2+4i)	2-4i
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## ■ Extraction of Real and Imaginary Parts [OPTN]-[CPLX]-[ReP]/[ImP]

Use the following procedure to extract the real part  $a$  and the imaginary part  $b$  from a complex number of the form  $a + bi$ .

**Example** To extract the real and imaginary parts of the complex number  $2 + 5i$

AC [OPTN] F3 (CPLX) F5 (ReP)

( [ 2 ] + [ 5 ] F1 (i) ) [EXE]

(Real part extraction)

ReP (2+5i)	2
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AC [OPTN] F3 (CPLX) F6 (ImP)

( [ 2 ] + [ 5 ] F1 (i) ) [EXE]

(Imaginary part extraction)

ImP (2+5i)	5
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## Complex Number Calculation Precautions

- The input/output range of complex numbers is normally 10 digits for the mantissa and two digits for the exponent.
- When a complex number has more than 21 digits, the real part and imaginary part are displayed on separate lines.
- When either the real part or imaginary part equals zero, that part is not displayed.
- 20 bytes of memory are used whenever you assign a complex number to a variable.
- The following functions can be used with complex numbers.

 $\sqrt{\quad}, x^2, x^{-1}$ 
 $\text{Int}, \text{Frac}, \text{Rnd}, \text{Intg}, \text{Fix}, \text{Sci}, \text{ENG}, \overleftarrow{\text{ENG}}, \circ', \overleftarrow{\circ}', a^b/c, d/c, F \leftrightarrow D$

